

# Adj. of Geospatial Obs.

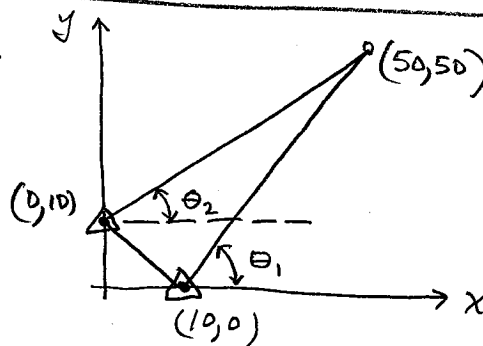
1/2

Homework 1, assigned Monday 20 August 2012  
due " 27 " " "

## Matlab Practice & Statistics Warm-up

1. generate 1000 "random" samples, normal, mean 0, standard deviation 1, for  $X_1, X_2, X_3$   
make 2 scatterplots of  $(X_1, X_2)$  and  $(X_2, X_3)$
2. generate  $Y_1 = X_1 + X_2$ ,  $Y_2 = X_3 + X_2$ ,  $Y_3 = X_3 - X_2$   
make 2 scatterplots of  $(Y_1, Y_2)$  and  $(Y_1, Y_3)$
3. compute sample covariance matrices & correlation matrices for  $(X_1, X_2)$ ,  $(X_2, X_3)$ ,  $(Y_1, Y_2)$ ,  $(Y_1, Y_3)$

4. compute nominal values for  $\theta_1, \theta_2$  from sketch.



5. generate 1000 "random" samples, normal, mean 0, standard deviation =

$$10 \cdot \left(\frac{1}{60}\right) \left(\frac{1}{60}\right) \left(\frac{1}{57.29\dots}\right) \text{ for } \Delta\theta_1, \Delta\theta_2$$

6. for all 1000 pairs, perturb angles  $\theta_1 + \Delta\theta_1, \theta_2 + \Delta\theta_2$ , compute slopes of 2 lines, compute intersection point
7. save 1000 intersection points in  $X, Y$  arrays
8. make scatterplot, compute sample covariance matrix, and correlation matrix.

→ comment on anything interesting that you see. ←

# useful matlab commands

2/2

```
R = random('norm',  $\mu$ ,  $\sigma$ , [10, 1]);
```

```
cov_mat = cov([X Y]);    assume X & Y are column vectors
```

```
corr_mat = corr([X Y]);    " "
```

```
plot(X, Y, 'R*');
```

axis equal

```
diary filename.lst
```

```
diary off
```

format compact, format long g, format short g

```
title('Title for Current Plot');
```

figure = open a new figure

% = comment, following this symbol, text is ignored  
EXCEPT in fprintf format specifiers!

$\text{rho} = 180/\pi$  (57.29...) degrees per radian

```
X = zeros(1000, 1);  
Y = zeros(1000, 1); } column vectors!
```

```
for i = 1:1000
```

```
    X(i) = ...
```

```
    Y(i) = ...
```

```
end
```