

Lect. 11, 7 July 2016 11-1

$$\text{obj. function} = [V_1] + [V_2] + \dots + [V_n]$$

$$\text{rather than } \sqrt{V} \approx V_1^2 + V_2^2 + \dots + V_n^2$$

framework for LP problems : all variables/unknowns must be ≥ 0

requires new variable to keep all ≥ 0
 \Rightarrow slack variables

$$\min z = \bar{c}^T x \quad \begin{array}{c} \bar{c}^T \\ \hline \end{array} = z$$

$$\text{subject to } Ax = b$$

$$x \geq 0$$

$$\begin{array}{c} m \\ \hline A \\ n \end{array} = \begin{array}{c} l \\ s \end{array}$$

always underdetermined

Jul 7-7:39 PM

11-2

$$\begin{array}{c} m \\ \hline A_1 \quad A_2 \\ n \quad n \end{array} = \begin{array}{c} l \end{array}$$

Solve for first n variables, assume the rest \emptyset

lexicographic order in paren. vect.

Solve for first m var,

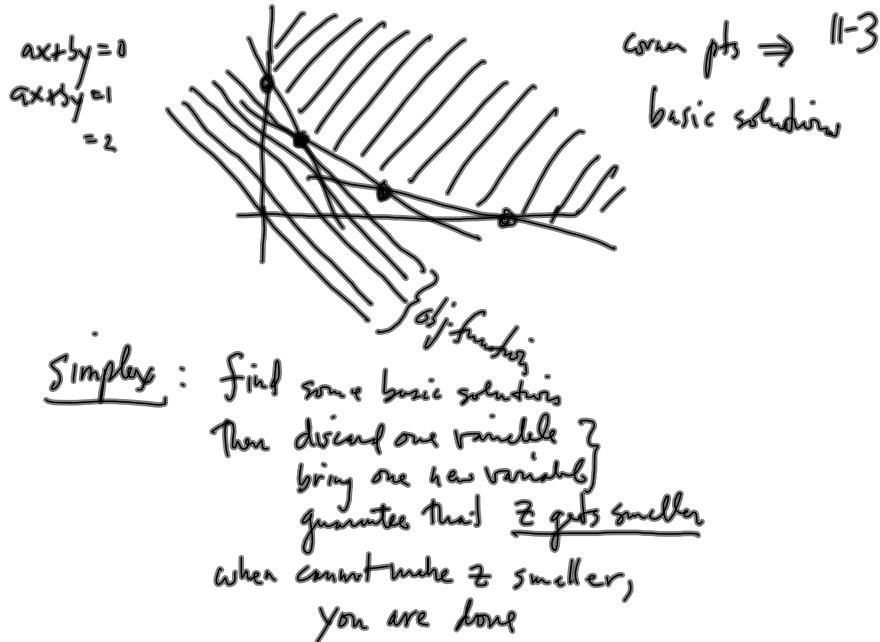
if solution vector all ≥ 0 , Then member of feasible set
 Then compute obj. function

Smallest value of obj. function \Rightarrow our solution

$$\text{exhaustive search } \binom{n}{m} = \frac{n!}{m!(n-m)!}$$

\Rightarrow solution has only m nonzero values
 rest are = 0

Jul 7-7:39 PM



Jul 7-7:39 PM

$$\begin{bmatrix} x, v \end{bmatrix} = L_1(B, f) \leftarrow WB_0 - f \quad \text{II-4}$$

$$\begin{bmatrix} x, v \end{bmatrix} = L_2(B, f)$$

for AW4, 1(c) can use _____

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