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% kal bat.m - 28-dec-03
% kalman filter batch process
% with simple linear problem (moving line)

x1=1;
x2=2;
x3=3;
y1=[1. 4697; 2. 5201; 3. 5832; 4. 5122; 5. 4588; 6. 5080; 7. 4933; 8. 4065; 9. 4516; 10. 3884];
y2=[1. 8834; 2. 9197; 3. 9974; 4. 9869; 6. 1528; 7. 0747; 7. 9417; 9. 0500; 10. 0601; 10. 8991];
y3=[2. 5088; 3. 5834; 4. 5229; 5. 5508; 6. 4905; 7. 5041; 8. 5206; 9. 6136; 10. 5878; 11. 5400];
si gy=0. 07;

PHI=[1 0 0; 0 1 1; 0 0 1];
si gt=[0. 05; 0. 10; 0. 05];
I3=eye(3);

neqn=10*3 + 9*3; % (57)
npar=3*10; % (30)

B=zeros(neqn, npar);
f=zeros(neqn, 1);
W=zeros(neqn, neqn);

rowi dx=1;
col i dx=1;
epoch=1;

% add the observation equations
% for the first epoch;

B(rowi dx, col i dx)= -x1;
B(rowi dx, col i dx+1)= -1;
f(rowi dx)= -y1(epoch);
W(rowi dx, rowi dx)=1/si gy^2;
B(rowi dx+1, col i dx)= -x2;
B(rowi dx+1, col i dx+1)= -1;
f(rowi dx+1)= -y2(epoch);
W(rowi dx+1, rowi dx+1)=1/si gy^2;
B(rowi dx+2, col i dx)= -x3;
B(rowi dx+2, col i dx+1)= -1;
f(rowi dx+2)= -y3(epoch);
W(rowi dx+2, rowi dx+2)=1/si gy^2;
rowi dx=rowi dx+3;
col i dx=col i dx+3;
epoch=epoch+1;

% do all subsequent epochs

for i=1:9
% add the state transition equations

B(rowi dx: rowi dx+2, col i dx-3: col i dx-1)=-PHI ;
B(rowi dx: rowi dx+2, col i dx: col i dx+2)=I3;
% f i s zero
W(rowi dx, rowi dx)=1/si gt(1)^2;
W(rowi dx+1, rowi dx+1)=1/si gt(2)^2;
W(rowi dx+2, rowi dx+2)=1/si gt(3)^2;
rowi dx=rowi dx + 3;

% add the observation equations

B(rowi dx, col i dx)= -x1;
B(rowi dx, col i dx+1)= -1;
f(rowi dx)= -y1(epoch);
W(rowi dx, rowi dx)=1/si gy^2;
B(rowi dx+1, col i dx)= -x2;
B(rowi dx+1, col i dx+1)= -1;
f(rowi dx+1)= -y2(epoch);
W(rowi dx+1, rowi dx+1)=1/si gy^2;
B(rowi dx+2, col i dx)= -x3;
B(rowi dx+2, col i dx+1)= -1;
f(rowi dx+2)= -y3(epoch);
W(rowi dx+2, rowi dx+2)=1/si gy^2;

% update the indices

rowi dx=rowi dx+3;
col i dx=col i dx+3;
epoch=epoch+1;

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kal bat.m

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end
N=B'*W*B;
N(1:10,1:6)
pause
t=B'*W*f;
Ni=inv(N);
X=Ni*t;
di sp('params');
X
di sp('covariance');
for i=1:10
    idx=(i-1)*3+1;
    cv=Ni(idx:idx+2,idx:idx+2);
    i
    cv
end

% ok now do it by block gauss elimination and show how it could
% therefore be done sequentially - by intuition method

for i=1:9
    idx=(i-1)*3+1;
    n11=N(idx:idx+2,idx:idx+2);
    n12=N(idx:idx+2,idx+3:idx+3+2);
    n21=n12';
    t1=t(idx:idx+2);
    n22=N(idx+3:idx+3+2,idx+3:idx+3+2);
    t2=t(idx+3:idx+3+2);
    n11i=inv(n11);
    n22p=n22-n21*n11i*n12;
    t2p=t2-n21*n11i*t1;
    N(idx+3:idx+3+2,idx+3:idx+3+2)=n22p;
    t(idx+3:idx+3+2)=t2p;
end

idx=idx+3;
nf=N(idx:idx+2,idx:idx+2);
tf=t(idx:idx+2);
nfi=inv(nf);
Xs=nfi*tf;
di sp('params from elimination');
Xs
di sp('covariance from elimination');
nfi
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