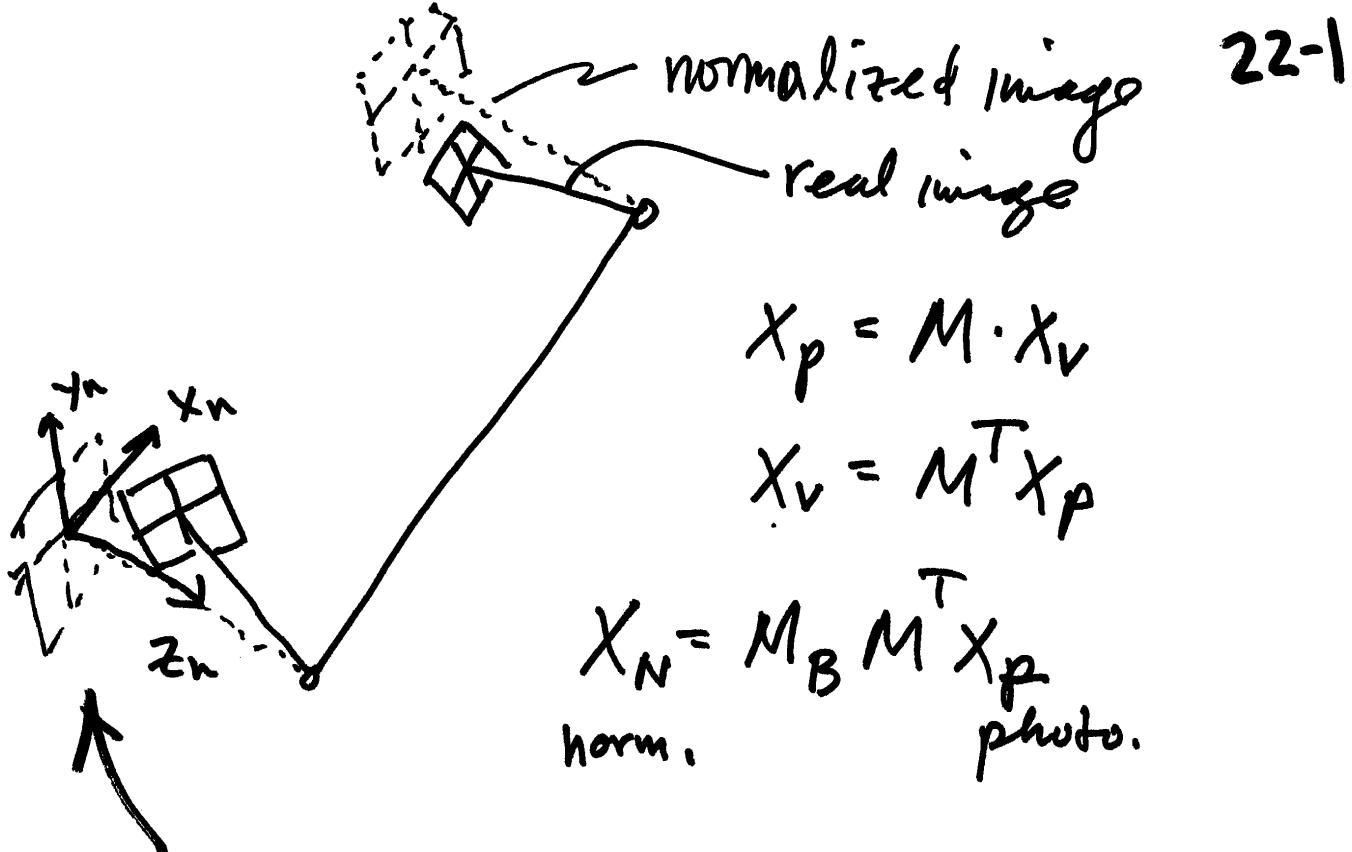


$$M_B = M_x(\theta_x) \cdot M_y(\theta_y) \cdot M_z(\theta_z)$$

$$X_N = M_B X_v$$

norm.

reference



$X_N$  parallel to base

$Z_N$  perpendicular to base (+ approx.  
parallel to actual photo optical axis)

$Y_N$  mutually orthogonal to be RHS

22-1

22-2

$$\begin{pmatrix} x_{n_1} \\ y_{n_1} \\ -f \end{pmatrix} : X_{N_1} = \underbrace{M_B M_1^T}_{M_{N_1}} X_{P_1} \cdot \begin{pmatrix} x_{p_1} \\ y_{p_1} \\ -f \end{pmatrix}$$

$$\begin{pmatrix} x_{n_2} \\ y_{n_2} \\ -f \end{pmatrix} : X_{N_2} = \underbrace{M_B M_2^T}_{M_{N_2}} X_{P_2} \cdot \begin{pmatrix} x_{p_2} \\ y_{p_2} \\ -f \end{pmatrix}$$

$\underbrace{\quad\quad\quad}_{(u \downarrow w)}$

$$X_{N_1} = M_{N_1} \cdot X_{P_1}$$

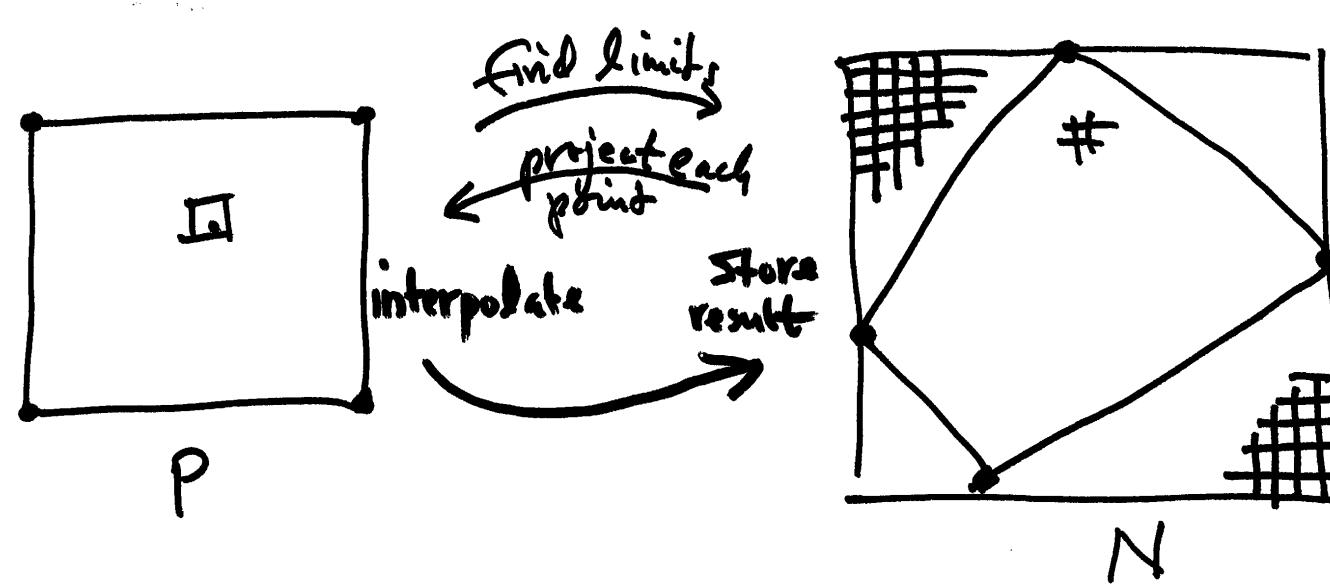
$$X_{N_2} = M_{N_2} \cdot X_{P_2}$$

$$X_{P_1} = M_{N_1}^T \cdot X_{N_1}$$

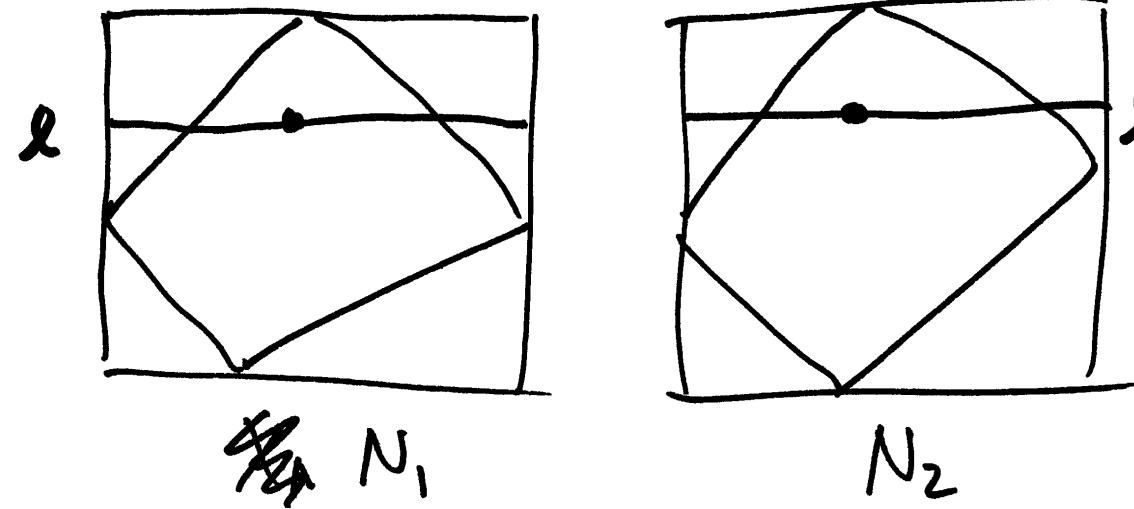
$$X_{P_2} = M_{N_2}^T \cdot X_{N_2}$$

$$x_{n_1} = -f \frac{u_1}{w_1} \quad x_{n_2} = -f \frac{u_2}{w_2}$$

$$y_{n_1} = -f \frac{v_1}{w_1}, \quad y_{n_2} = -f \frac{v_2}{w_2}$$



1. find limits, create empty file/array, selection of pixel size
2. step through  $N$  exhaustively
  - @each pixel of  $N$ , transform  $N \rightarrow P$
  - interpolate intensity
  - store result in  $N$  I, RGB, ...



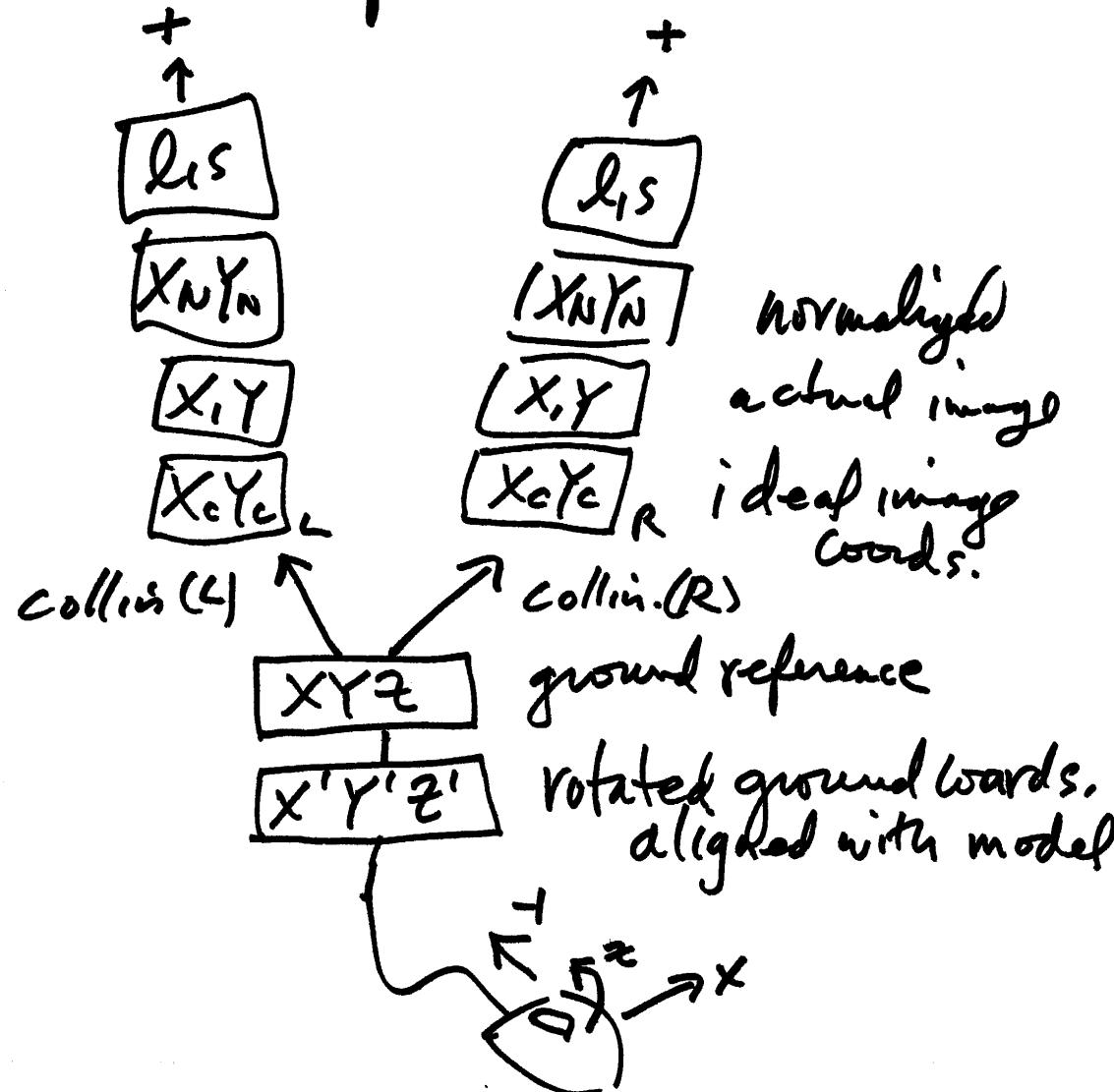
22-4

$N_1 \rightarrow$  Red channel  
 $N_2 \rightarrow$  Blue channel  
 $B+G$

} anaglyph stereo

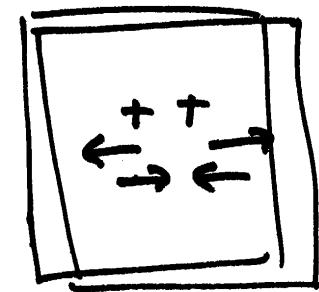
a point on line  $l$  in normalized image  $N_1$ , will also lie on line  $l$  in normalized image  $N_2$

# architecture of stereo workstation



22-5

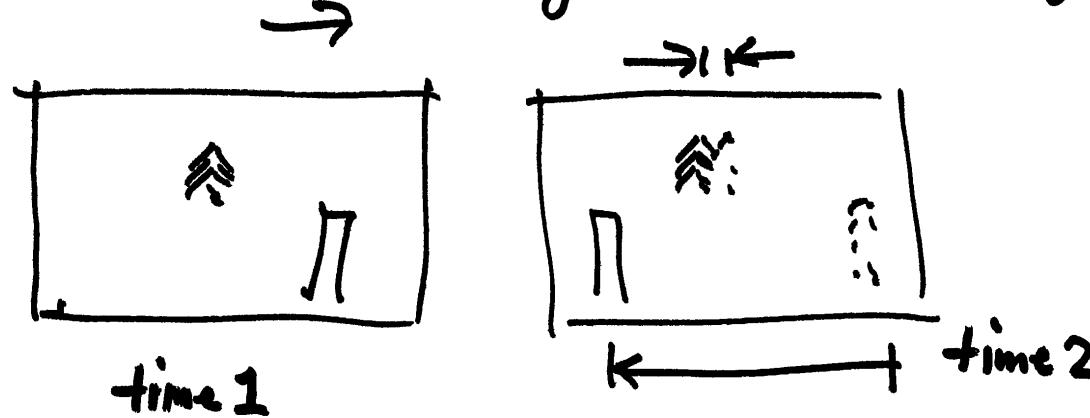
Z-motion from hand  
control causes "floating"  
mark to come together  
or move apart



hit button : record in data file  
 $XYZ$

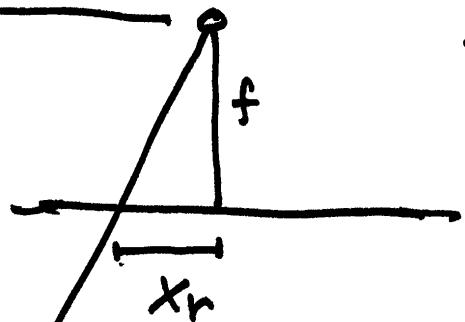
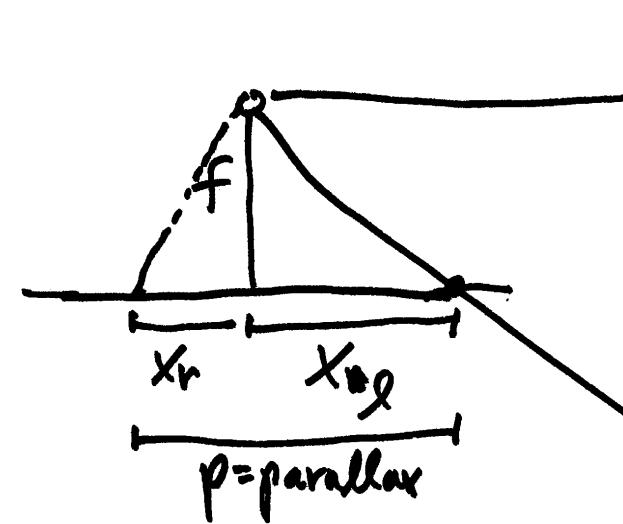
examples : BAE Socet Set,  
Z/I Image Station  
Leica LPS

parallax : apparent displacement of an object caused by a change in location of viewer.



parallax (disparity) related to depth

Objects viewed through window of moving vehicle  
nearby fencepost has greater parallax than distant tree.



↑ parallax  $p = x_e - x_r$   
↓  $H$  (depth)

$$\frac{B}{H} = \frac{p}{f} \quad \text{similar } \triangle's$$

$$H = \frac{B}{p} \cdot f$$

Far Away : small parallax  
Near : large parallax

$$\frac{dp}{dt} \sim \text{scale}, \frac{B}{H}$$

$\frac{dp}{dH}$  gives the sensitivity of parallax with respect to depth or height

$$p = \frac{B}{H} \cdot f, \quad \frac{dp}{dt} = -\frac{fB}{H^2} = -\left(\frac{f}{H}\right) \cdot \left(\frac{B}{H}\right) \\ = -\text{scale} \cdot \frac{B}{H}$$

photos w/  $B/H$  viewed by individual with eye base =  $b$   
perceives 3D model to lie at distance  $h$  (subjective)

if  $B/H \approx b/h$ , perceive scene as if looking with eyes

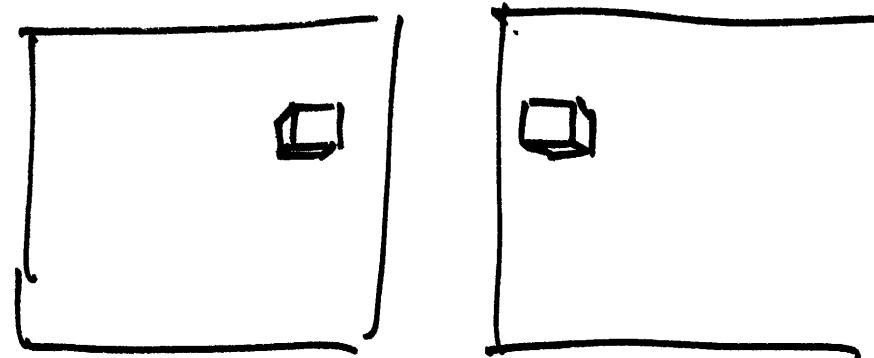
if  $B/H > b/h$ , perceive depth exaggeration

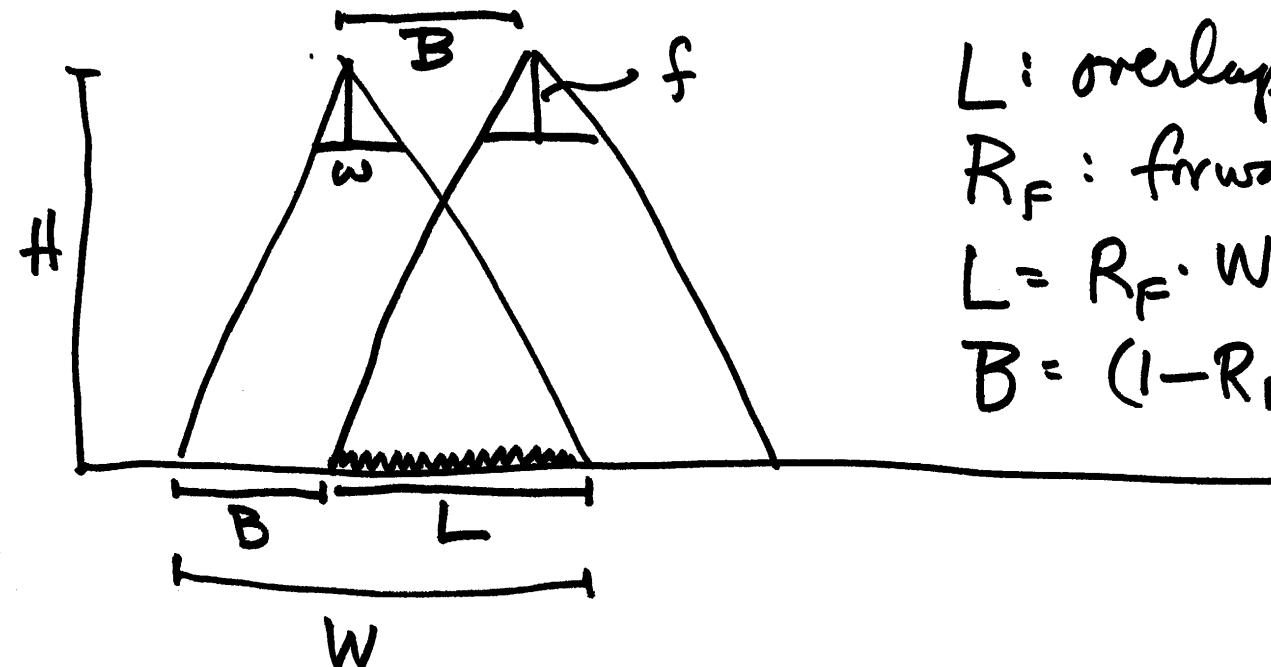
Vertical Exaggeration Factor :  $\frac{B/H}{b/h}$

conventional mapping photos }  
 $B/H \sim 0.6$ , } V.E.  $\sim 4x$   
 typical person  $b/h \sim 0.15$

25-9

in a stereo workstation, depth appears "stretched"  
⇒ does not affect measurements + models  
in fact is used to increase sensitivity of height measurements.



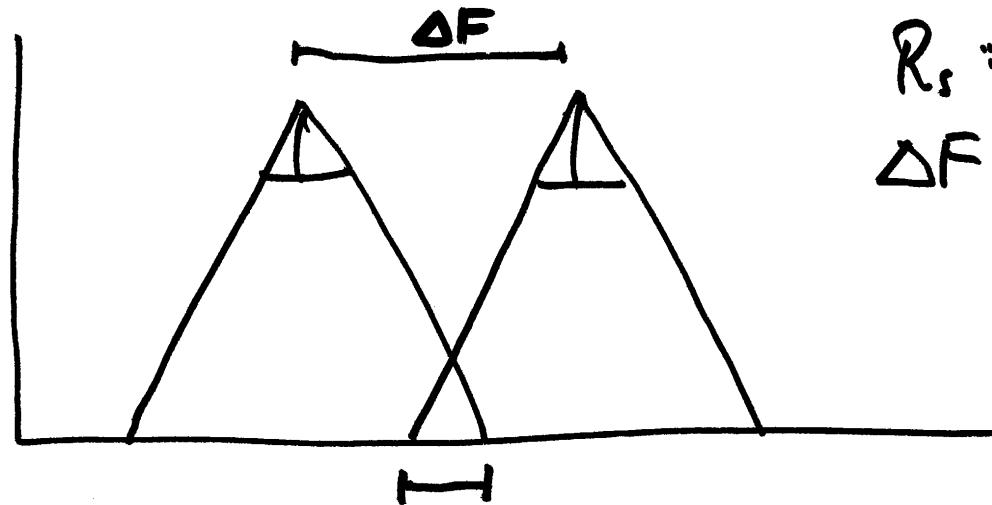


$L$ : overlap dimension

$R_F$ : forward overlap fraction 0.6, 60%

$$L = R_F \cdot W$$

$$B = (1 - R_F)W, \quad \frac{\omega}{W} = \frac{f}{H} = \text{scale}$$

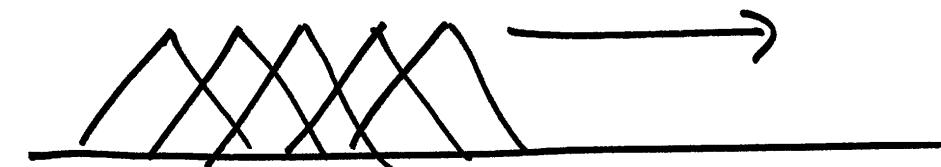


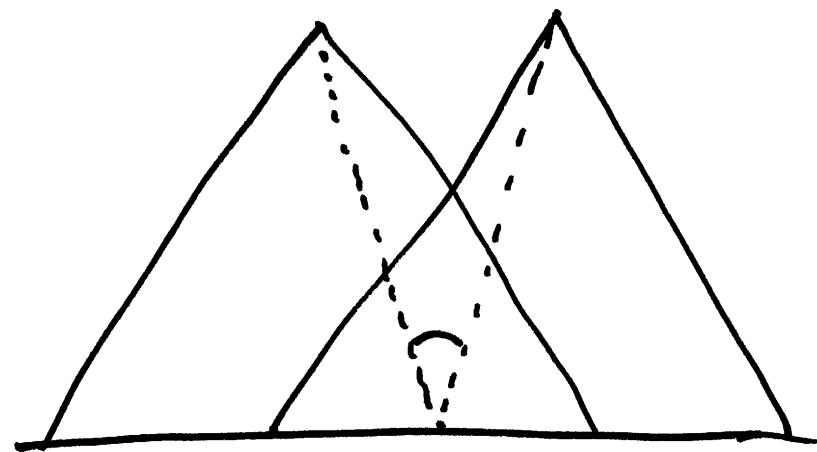
$R_s$ : side overlap fraction 30%, 25%

$$\Delta F = W(1 - R_s)$$

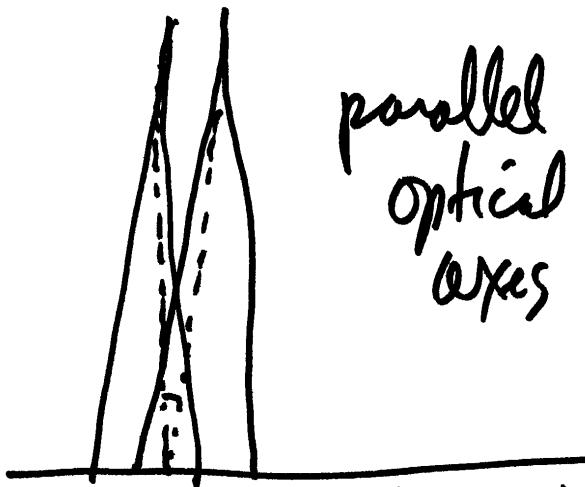
$B$ : base along flight line

$\Delta F$ : spacing between flight lines

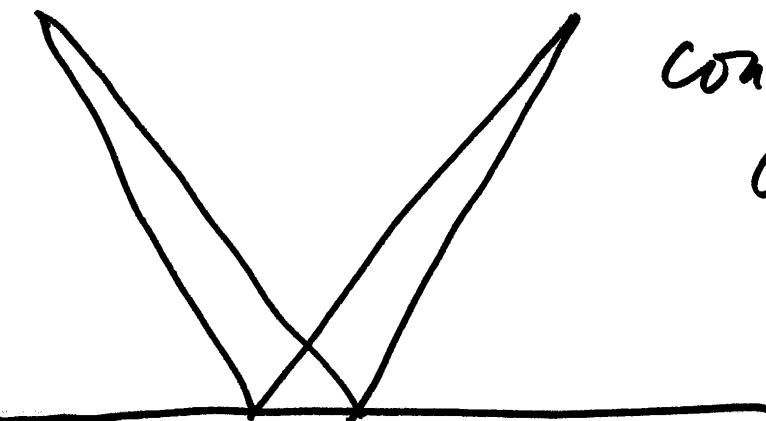




60% overlap with wide F.O.V. camera



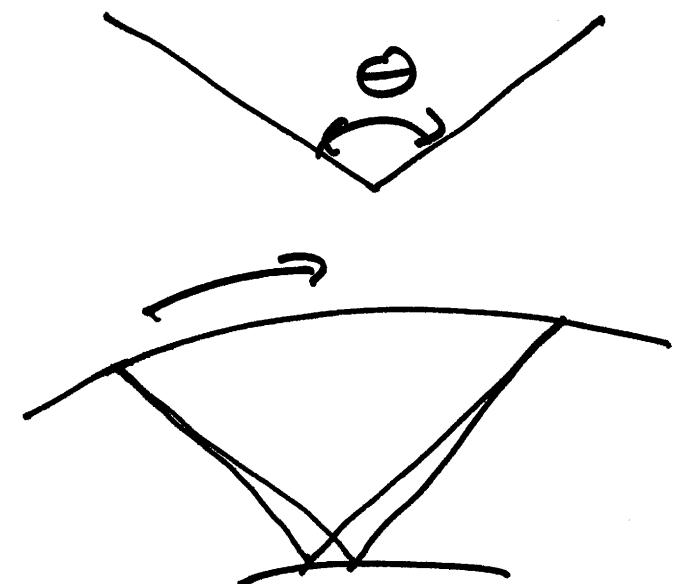
60% overlap with narrow F.O.V. camera



convergent optical axes

Small intse angle : easy stereo } large intse angle  
difficult stereo

important factor for height precision is



height precision increases ( $\sigma$  gets smaller) as intersection angle  $\Theta$  gets larger  
planimetric precision moves in the opposite way !